

B_s Mixing & B_s Lifetime Difference @ DØ

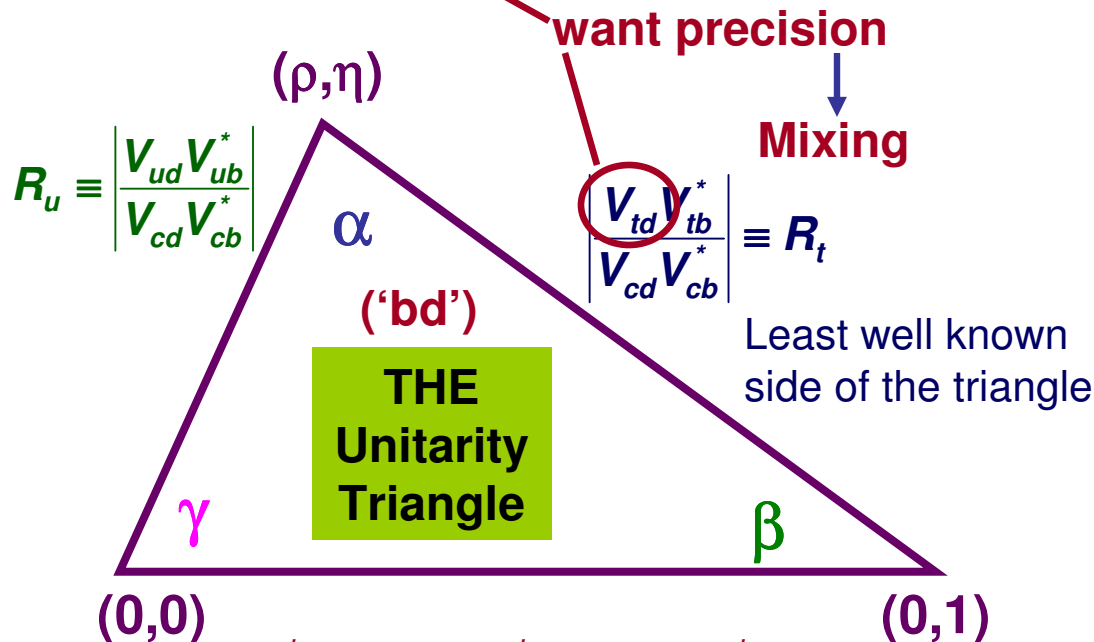
Tulika Bose
Columbia University
(On behalf of the DØ Collaboration)

PANIC 2005
Tuesday, October 25, 2005

The Unitarity Triangle

$$V_{\text{CKM}} = \begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

Constraining the CKM matrix redundantly using different measurements of the angles/sides is a sensitive probe of New Physics



$$V_{ub}V_{ud}^* + V_{cb}V_{cd}^* + V_{tb}V_{td}^* = 0$$

Area of the triangle indicates CP violation in the SM due to the CKM matrix

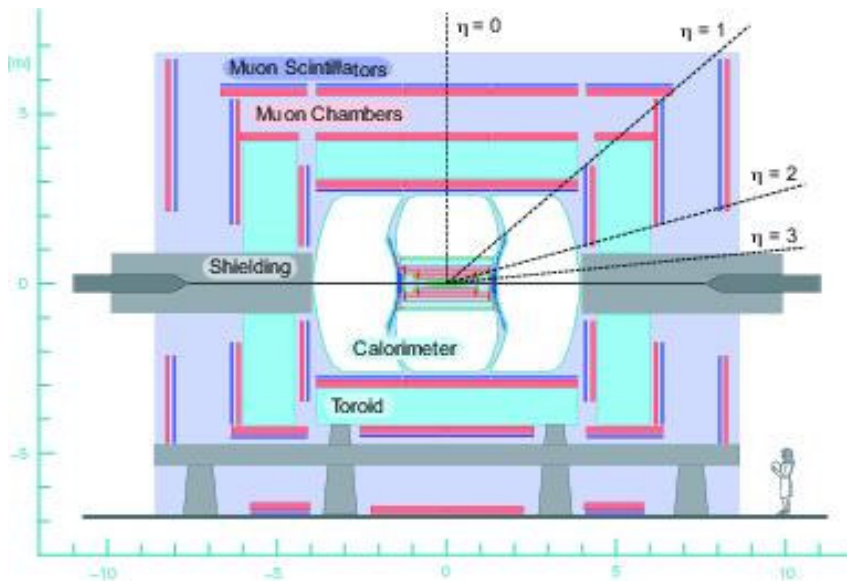
‘bs’
(Squashed unitarity triangle)

$\beta \rightarrow \beta_s$
SM: β_s small
 \Rightarrow CP violation is small

Checking this is complementary to measuring the sides/angles of THE Unitarity Triangle

(currently only at the Tevatron)²

B Physics @ DØ



$$\sigma(p\bar{p} \rightarrow b\bar{b}) \approx 150\mu b \text{ @ } 1.96 \text{ TeV}$$

$$\sigma(e^+e^- \rightarrow b\bar{b}) \approx 7nb \text{ @ } Z^0$$

$$\sigma(e^+e^- \rightarrow B\bar{B}) \approx 1nb \text{ @ } \Upsilon(4S)$$

Large production cross-section
All B species, including B_s , B_c , Λ_b

Rich B Physics program at DØ benefits from :

- Large muon acceptance: $|\eta| < 2$
- Forward tracking coverage:
 $|\eta| < 2.0$ (tracking), $|\eta| < 3$ (Si)
- Robust muon trigger

B_s Mixing: 610 pb⁻¹

B_s Lifetime difference: 450 pb⁻¹

Mixing Phenomenology

$$\hat{H} \begin{pmatrix} B^0 \\ \bar{B}^0 \end{pmatrix} = \begin{pmatrix} M - \frac{i\Gamma}{2} & M_{12} - \frac{i\Gamma_{12}}{2} \\ M_{12}^* - \frac{i\Gamma_{12}^*}{2} & M - \frac{i\Gamma}{2} \end{pmatrix} \begin{pmatrix} B^0 \\ \bar{B}^0 \end{pmatrix}$$

M_{12} : from real part of box diagram, dominated by **top** quark

Γ_{12} : from imaginary part of box diagram, dominated by **charm**

Two physical states (heavy and light B_s) propagate with distinct masses and lifetimes

$$B_L = p |B_s\rangle + q |\bar{B}_s\rangle \approx \text{CP even}$$

$$B_H = p |B_s\rangle - q |\bar{B}_s\rangle \approx \text{CP odd}$$

$$\Delta m = M_H - M_L \approx 2|M_{12}|$$

$$\Delta\Gamma = \Gamma_L - \Gamma_H \approx 2|\Gamma_{12}| \cos\phi$$

CP violating phase $\phi = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right) \sim -0.03 \text{ (SM)} \Rightarrow \text{mass eigenstates} \approx \text{CP eigenstates}$

Δm_d has been precisely measured: **$0.509 \pm 0.004 \text{ ps}^{-1}$**

$$\Delta m_d = \frac{G_F^2 m_W^2 \eta S(m_t^2 / m_W^2)}{6\pi^2} m_{B_d} f_{B_d}^2 B_{B_d} |V_{td}^* V_{tb}|^2$$

$$f_{B_d}^2 B_{B_d} = (228 \pm 30 \pm 10 \text{ MeV})^2$$

$|V_{td}|$ from Δm_d limited by $\sim 15\%$

\therefore consider ratio

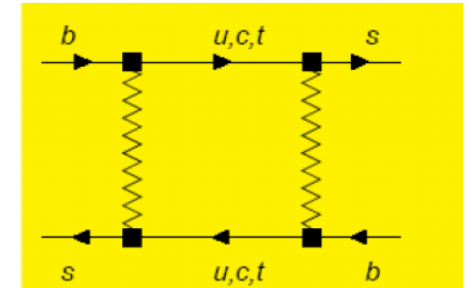
$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{B_s}}{m_{B_d}} \frac{f_{B_s}^2 B_{B_s}}{f_{B_d}^2 B_{B_d}} \frac{|V_{ts}|^2}{|V_{td}|^2} = \frac{m_{B_s}}{m_{B_d}} \xi^2 \frac{|V_{ts}|^2}{|V_{td}|^2}$$

$$\xi = 1.21 \pm 0.04 \pm 0.05$$

Many theoretical uncertainties cancel

Determine $|V_{ts}|/|V_{td}| \sim 5\%$ precision

Measure $\Delta m_s \Rightarrow$ constrain V_{td}



Mixing analysis in a nutshell

K mixing \Rightarrow direct & indirect CPV

B_d mixing \Rightarrow heavy top mass

ν mixing \Rightarrow neutrino mass $\neq 0$

B_s mixing \Rightarrow ????

Current world limit: $\Delta m_s > 14.4 \text{ ps}^{-1}$ @95% CL

B_s oscillates > 30 times faster than B^0 !

Δm_s measurement experimentally very challenging

Analysis Strategy

- Select final states suitable for the study
- Determine proper decay time
- Obtain # of oscillated or non-oscillated events (flavor tagging)
 - Tag B meson flavor at **decay** time (final state)
 - Tag B meson flavor at **production** time (initial state)

If flavor of B at decay = flavor at production \Rightarrow B hadron non-oscillated

If flavor of B at decay \neq flavor at production \Rightarrow B hadron oscillated

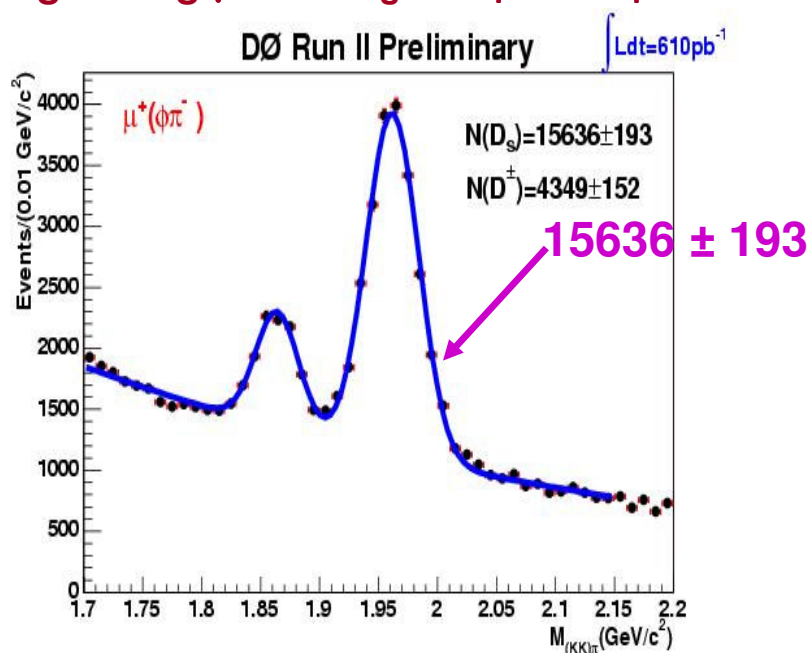
- Fit for Δm (or amplitude at Δm_s)

$$A(t_{B_s}) = \frac{N^{\text{non-osc}}(t_{B_s}) - N^{\text{osc}}(t_{B_s})}{N^{\text{non-osc}}(t_{B_s}) + N^{\text{osc}}(t_{B_s})} \propto \cos(\Delta m_s \cdot t_{B_s})$$

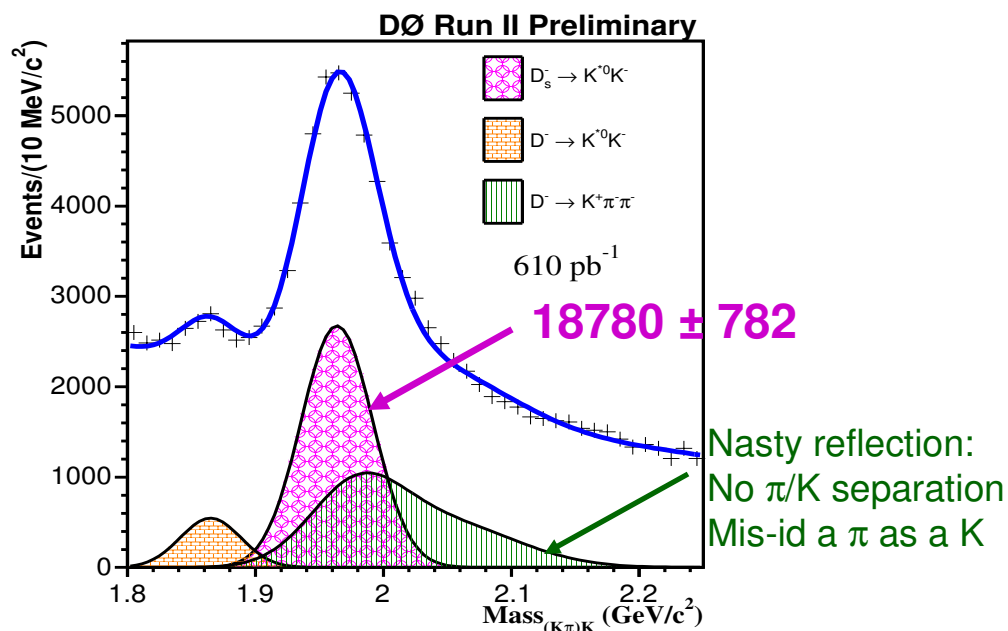
Essential ingredients

610 pb⁻¹

$B_s \rightarrow D_s \mu X ; D_s \rightarrow \phi \pi ; \phi \rightarrow K^+ K^-$



$B_s \rightarrow D_s \mu X ; D_s \rightarrow K^{*0} K ; K^{*0} \rightarrow K \pi$



Determine proper time:

Inferred from B candidate's decay length (w.r.t. PV) and its momentum.

Semileptonic decays \Rightarrow B_s momentum can only be reconstructed partially.

$$ct_{B_s} = x^M \cdot K \quad K \equiv p_T^{D_s \mu} / p_T^{B_s}$$

“K factor”

decay length vector in the transverse plane

$$x^M \equiv \left(\vec{\tilde{L}}_{xy} \cdot \vec{p}_{xy}^{D_s \mu} \right) / \left(p_T^{D_s \mu} \right)^2 \cdot m_{B_s}$$

“visible proper decay length (VPDL)” 6

VPDL resolution and K-factor distributions obtained from simulation

Flavor Tagging

- Tag B meson flavor at **decay**: use charge of final state particles: $b \rightarrow \mu^-$
- Tag B meson flavor at **production**: use **opposite-side** techniques
 - use decay products of the “other b” to infer the initial flavor of the reco’d B_s
 - Soft lepton tagging (SLT) : $b \rightarrow \mu^-$ or e^-
 - Muon Jet Charge, secondary vertex
- Make B_d oscillation measurement
 - use same opposite-side tagger as for B_s

$$D = 0.384 \pm 0.014 \pm 0.006$$

$$\epsilon D^2 = (1.94 \pm 0.14 \pm 0.09)\%$$

$$D = 2\eta - 1$$

η : purity

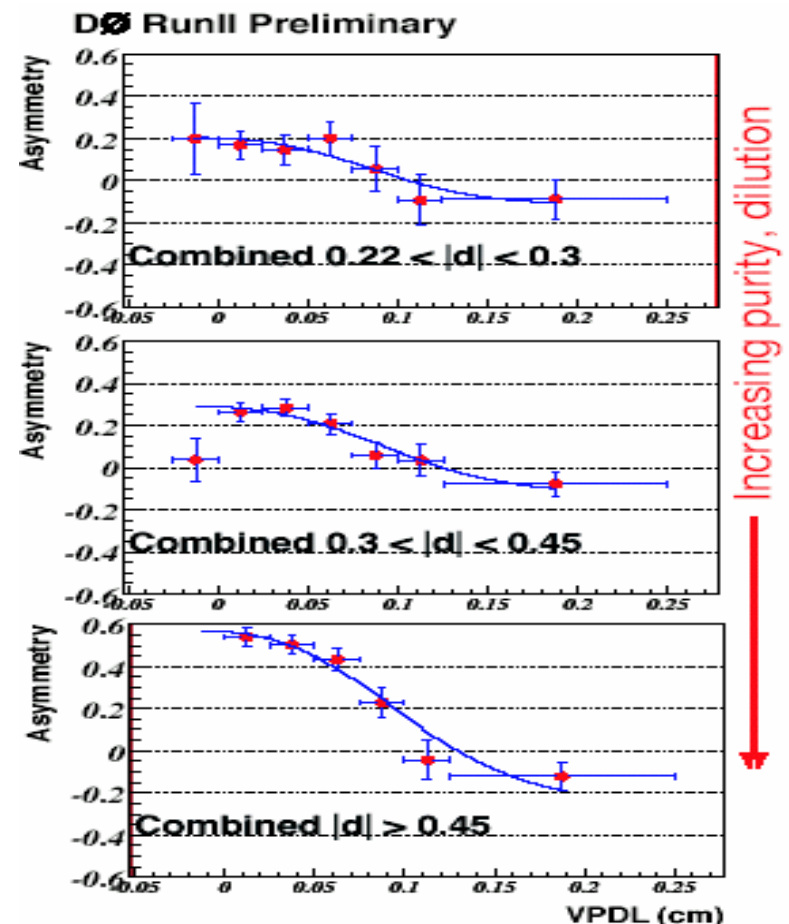
$$\Delta m_d = 0.501 \pm 0.030 \pm 0.016 \text{ ps}^{-1}$$

Consistent with the world average

610 pb⁻¹ ~4.2 K tagged B_s events

Tagging efficiency ~ 12.3%

Useful B_s signal fraction ~ 88%



Asymmetries

- Split B_s data sample into different bins of VPDL:
- Obtain # of events tagged as “non-oscillated” & “oscillated” for each VPDL bin by fitting D_s mass spectra:
- Calculate asymmetry for each VPDL bin

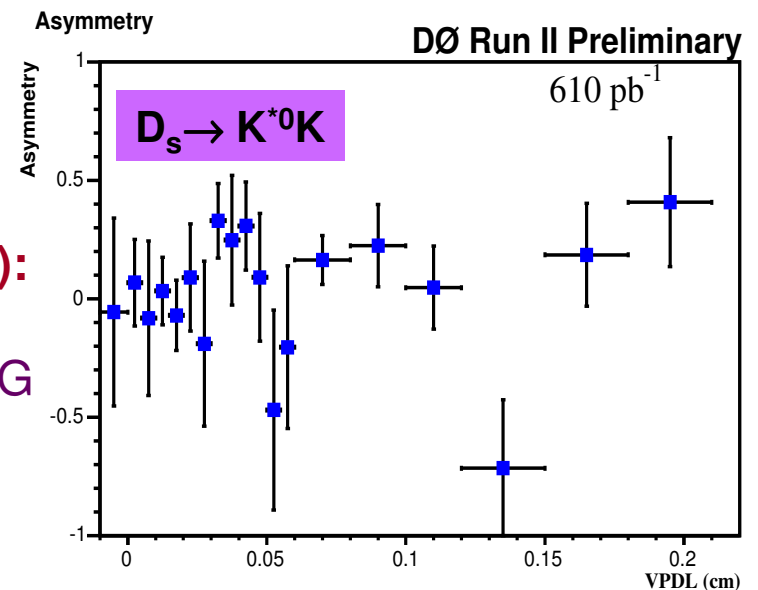
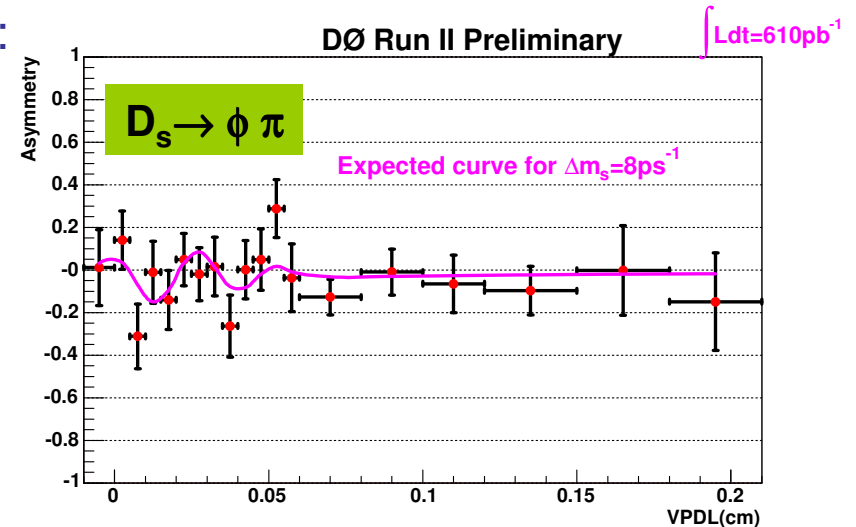
(A^{meas}):

$$A_i^{meas} = \frac{N_i^{non-osc} - N_i^{osc}}{N_i^{non-osc} + N_i^{osc}}$$

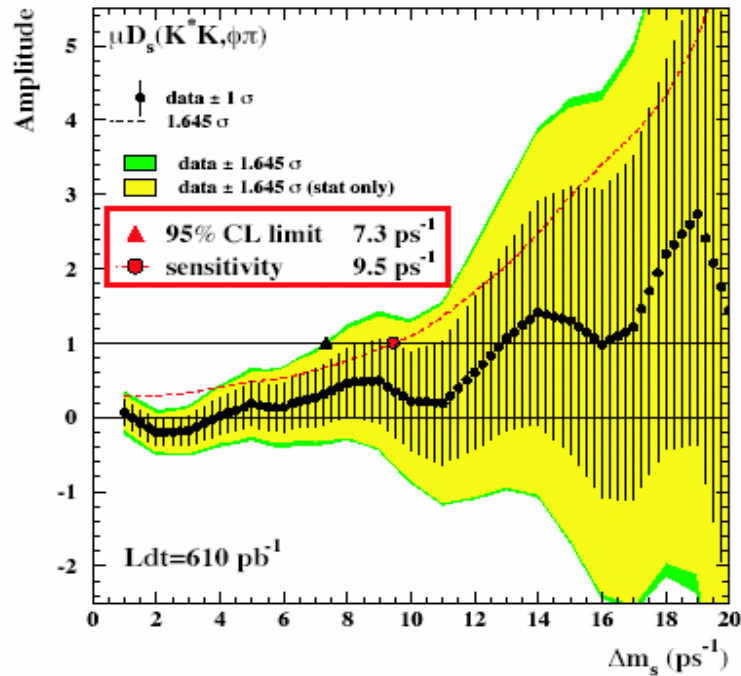
No obvious oscillations...

- Calculate expected asymmetry for each bin (A^e):

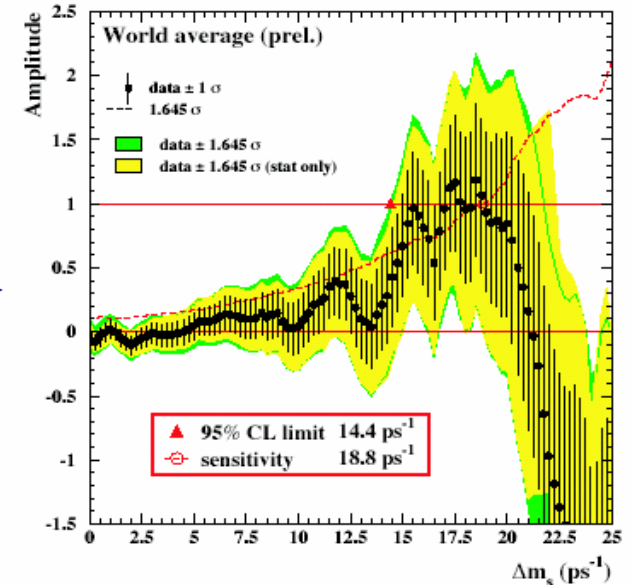
B meson lifetimes and branching rates from PDG
K-factor distributions, decay length resolution,
reconstruction efficiencies from MC



Amplitude Fit Method



World
Average

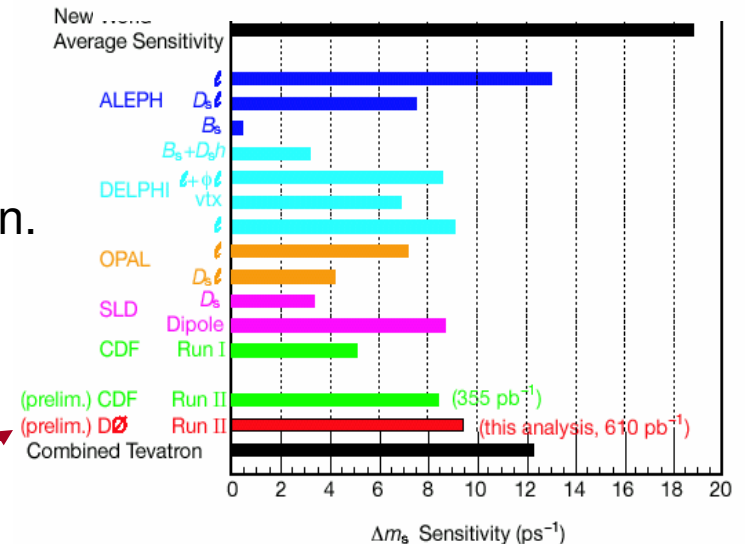


Dominant sources of systematic uncertainty:
understanding of VPDL resolution, K factors,
Sample composition, uncertainty in tagging dilution.

Combined DØ result:

Limit: $\Delta m_s > 7.3 \text{ ps}^{-1}$ @ 95% C.L.

Sensitivity: 9.5 ps^{-1} @ 95% C.L.



Future Improvements

Analysis techniques:

- Add more decay channels
- Improve opposite-side tagging,
- Add same-side tagging
- Unbinned likelihood fit: event-by-event resolution and tagging purity

Hadronic B_s decays:

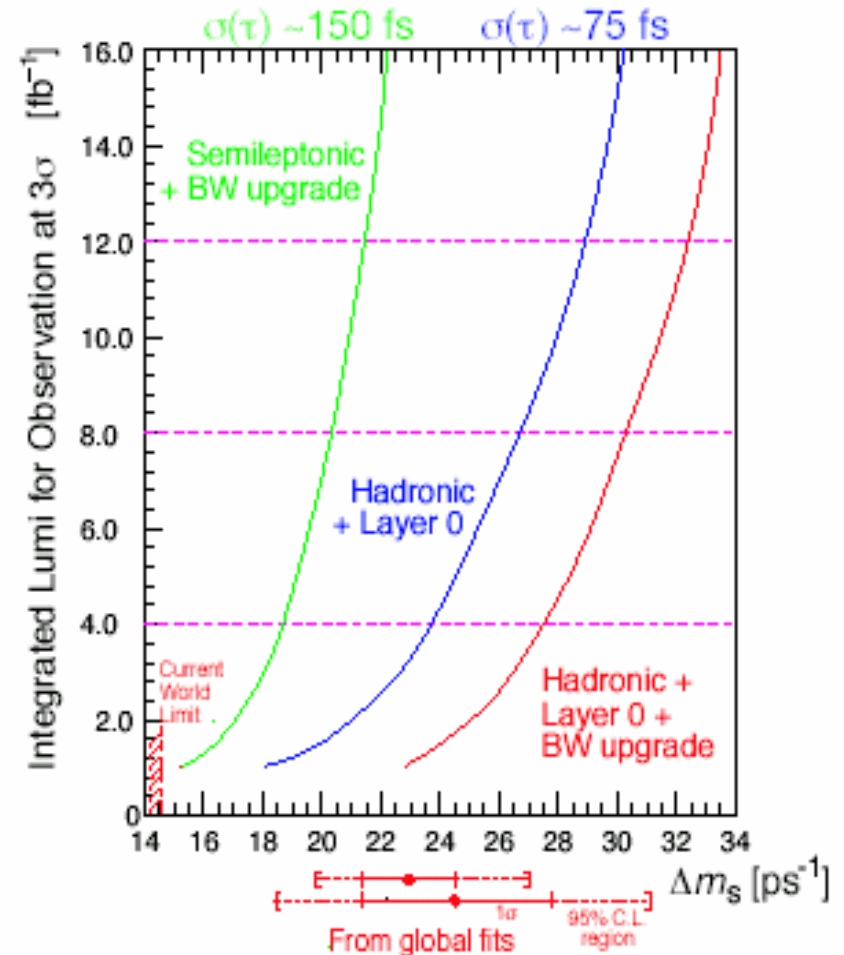
- Trigger on flavor-tagging muon, verify yield
(Excellent decay length resolution)

Bandwidth increase:

- Current limit for B triggers is rate to tape
- Bandwidth increase from 50 to 100Hz
- Proposal to process extra 50Hz of B Physics data at remote institutions

Hardware – new Layer 0 Silicon

- Radius of 1.7cm inside current detector
- Improve decay length resolution by ~30% even if lose Layer 1



And more data!

B_s lifetime difference analysis

$$B_s \rightarrow J/\psi (\mu^+\mu^-) \phi (K^+K^-)$$

Pseudoscalar \rightarrow Vector Vector

Three waves: **S**, **P**, **D** or A_0 , A_{\parallel} , A_{\perp}

S, **D** (Parity, CP even): linear combination of A_0 , A_{\parallel}

P (Parity, CP odd): A_{\perp}

Decay parameterised by three angles:

Azimuthal (ϕ) and polar angle (θ) wrt the direction of the μ^+ in the J/ψ rest frame

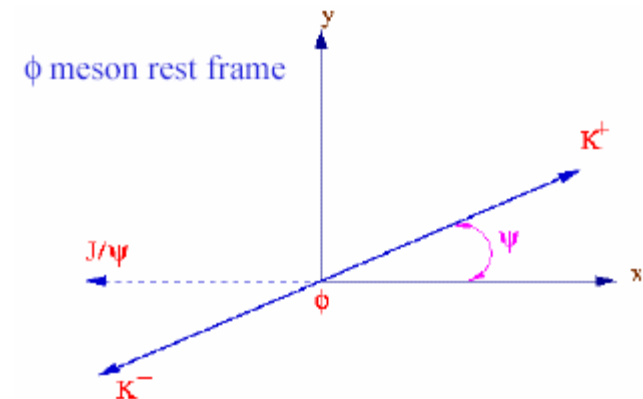
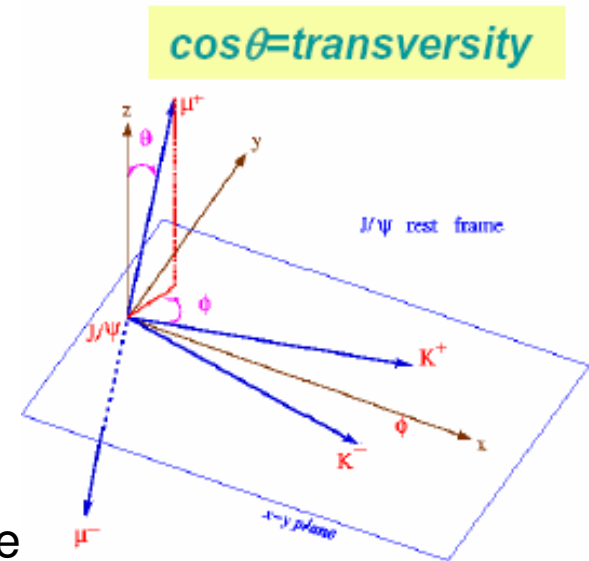
Polar angle (ψ) of K^+ in ϕ rest frame

Both CP-even and CP-odd present but are well separated in **transversity** ($\cos\theta$)

We integrate over two angles: ϕ and ψ

$$\frac{d\Gamma(t)}{d\cos\theta} \propto \left(|A_0(t)|^2 + |A_{\parallel}(t)|^2 \right) \frac{3}{8} (1 + \cos^2\theta) + |A_{\perp}(t)|^2 \frac{3}{4} \sin^2\theta$$

Integral for flat efficiency in ψ , ϕ



Non-uniform acceptance in ϕ integration leads to small correction term 11

Analysis strategy

Measure **TWO** distinct lifetimes (or, equivalently, $\Delta\Gamma/\Gamma$ and τ)

- fit time evolution & transversity distr. in untagged B_s decays
- If CP is conserved, they can be interpreted as the lifetimes of the two B_s mass eigenstates

Simultaneous fit to mass, lifetime and transversity using an unbinned maximum likelihood method

Candidate Events

$$Likelihood = \prod_{i=1}^N \left[f_{sig} F_{sig}^i + (1 - f_{sig}) F_{bkg}^i \right]$$

Fraction of signal

Product of mass, proper decay length and transversity PDFs

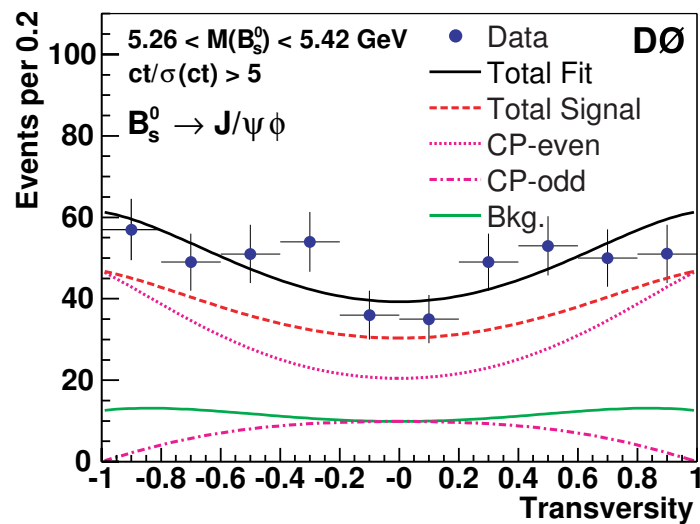
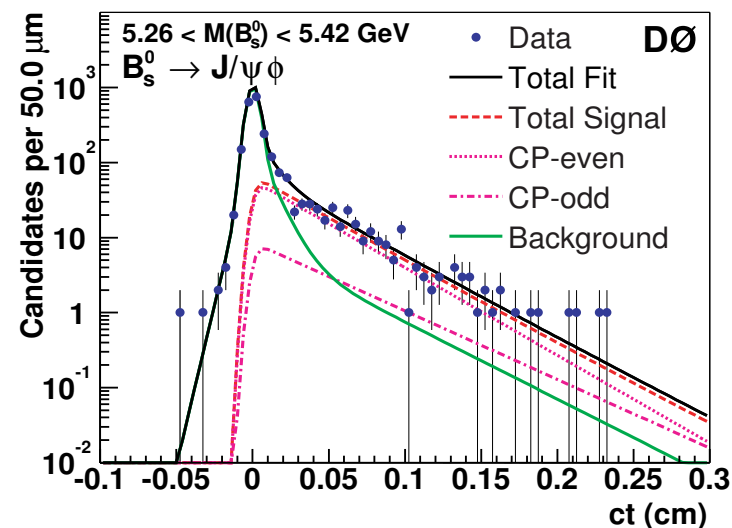
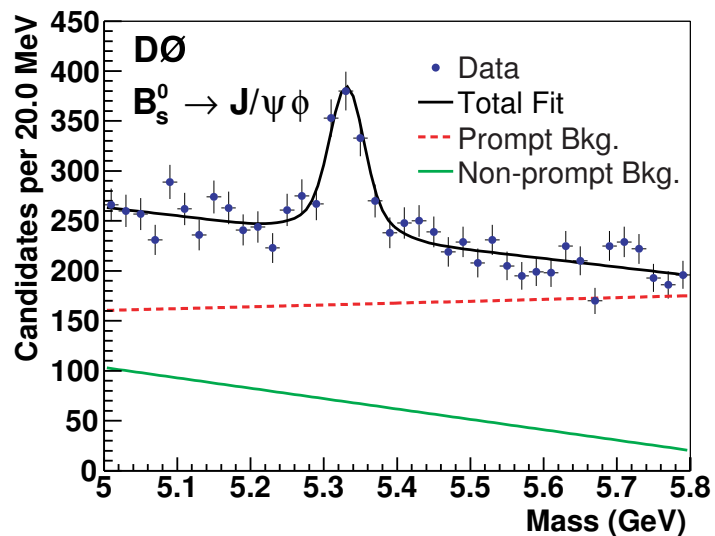
19 parameters:	1	f_{sig}	signal fraction
	2	signal mass, width	
	1	R_{\perp}	CP-odd fraction at $t=0$
	1	$c\tau = c/\bar{\Gamma}$, $\bar{\Gamma} = (\Gamma_L + \Gamma_H)/2$	
	1	$\Delta\Gamma / \bar{\Gamma}$	
	2	bkg slope in mass (1 prompt, 1 long-lived)	
	1	$\sigma(ct)$ scale	
	6	bkg ct shape	
	4	bkg transversity (2 prompt +2 long-lived)	

$$\bar{\Gamma} = \frac{\Gamma_H + \Gamma_L}{2}$$

R_{\perp} : CP-odd fraction at $t=0$

B_s mass & Lifetime

450 pb⁻¹



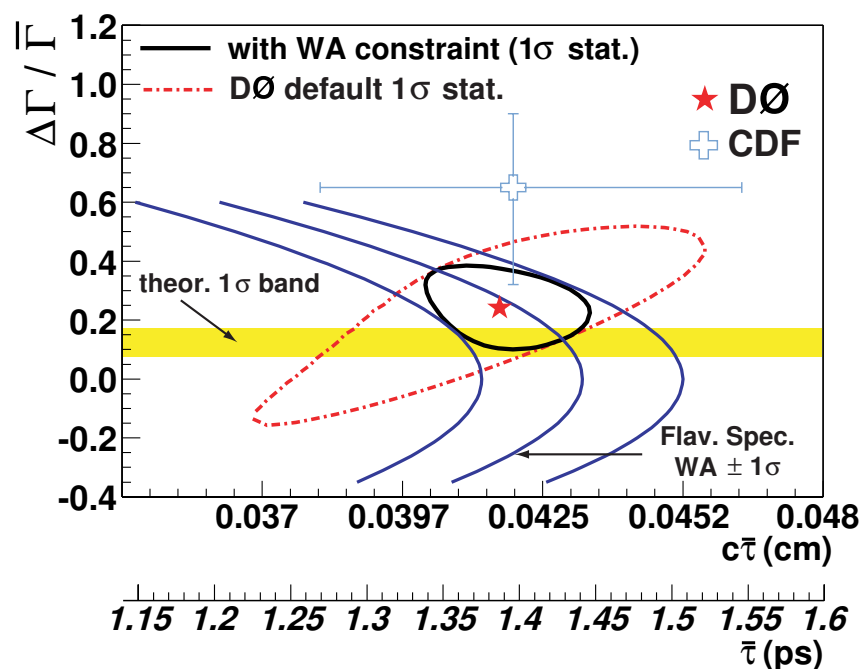
Signal Fit Results

events	513 ± 33
$c\tau = c/\Gamma$	$416^{+39}_{-48} \mu\text{m}$
$\Delta\Gamma/\Gamma$	$0.24^{+0.28}_{-0.38}$
R_{\perp}	0.16 ± 0.10

Semileptonic constraints

Semileptonic (flavor specific) measurements provide an independent relation of $\Delta\Gamma$ and Γ , leading to a significant improvement to $\Delta\Gamma$

Blue lines: World ave. flavor specific values (from semileptonic decays)



A single-lifetime fit applied to flavor specific final state measures $\Gamma_{fs} = 1/\tau_{fs}$

$$\bar{\tau} = \bar{\tau}(f.s.) \frac{1 + \left(\frac{\Delta\Gamma}{2\Gamma}\right)^2}{1 - \left(\frac{\Delta\Gamma}{2\Gamma}\right)^2} \begin{array}{l} 50\% \text{ CP-even} \\ 50\% \text{ CP-odd} \end{array}$$

PRL 95, 171801 (2005)

DØ

$$\frac{\Delta\Gamma}{\Gamma} = 0.24^{+0.28}_{-0.38}$$

$$\bar{\tau} = 1.39^{+0.13}_{-0.16} \text{ ps}$$

CDF

$$\frac{\Delta\Gamma}{\Gamma} = 0.65^{+0.25}_{-0.33}$$

$$\bar{\tau} = 1.40^{+0.15}_{-0.13} \text{ ps}$$

With f.s. constraint

$$\frac{\Delta\Gamma}{\Gamma} = 0.25^{+0.14}_{-0.15}$$

$$\bar{\tau} = 1.39 \pm 0.06 \text{ ps}$$

Mixing Summary

Preliminary limit on B_s mixing based on 610 pb^{-1} :

$B_s \rightarrow D_s \mu X ; D_s \rightarrow \phi \pi ; \phi \rightarrow K^+ K^-$

$B_s \rightarrow D_s \mu X ; D_s \rightarrow K^{*0} K ; K^{*0} \rightarrow K \pi$

Limit: $\Delta m_s > 7.3 \text{ ps}^{-1}$ @ 95% confidence

Sensitivity: 9.5 ps^{-1} @ 95% confidence

Already competitive (second best sensitivity after ALEPH)

Excellent prospects in future with analysis/hardware improvements and more data

Can potentially cover entire SM range:

If no oscillations are observed : New Physics at some C.L. !

Lifetime Difference Summary 450 pb⁻¹

Fit Values

$$\frac{\Delta \Gamma}{\bar{\Gamma}} = 0.24^{+0.28}_{-0.38} (stat)^{+0.03}_{-0.04} (syst)$$

$$R_{\perp} = 0.16 \pm 0.10 (stat) \pm 0.02 (syst)$$

$$\tau_L = 1.24^{+0.12}_{-0.11} (stat)^{+0.009}_{-0.012} (syst) ps$$

$$\tau_H = 1.58^{+0.44}_{-0.43} (stat)^{+0.012}_{-0.017} (syst) ps$$

$$\bar{\tau} = 1.39^{+0.13}_{-0.16} (stat)^{+0.01}_{-0.02} (syst) ps$$

Flavor Specific Decay Constraint

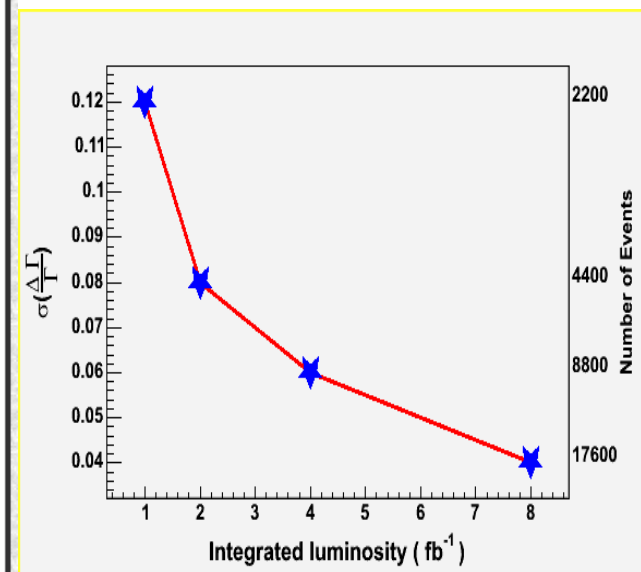
$$\frac{\Delta \Gamma}{\bar{\Gamma}} = 0.25^{+0.14}_{-0.15}$$

$$\bar{\tau} = 1.39 \pm 0.06 ps$$

Ratio to B_d

$$\bar{\tau}_{Bd} = 1.530 \pm 0.043 (stat) \pm 0.023 (syst) ps \quad \frac{\bar{\tau}_{Bs}}{\bar{\tau}_{Bd}} = 0.91 \pm 0.09 (stat) \pm 0.003 (syst) ps$$

Good agreement with theory

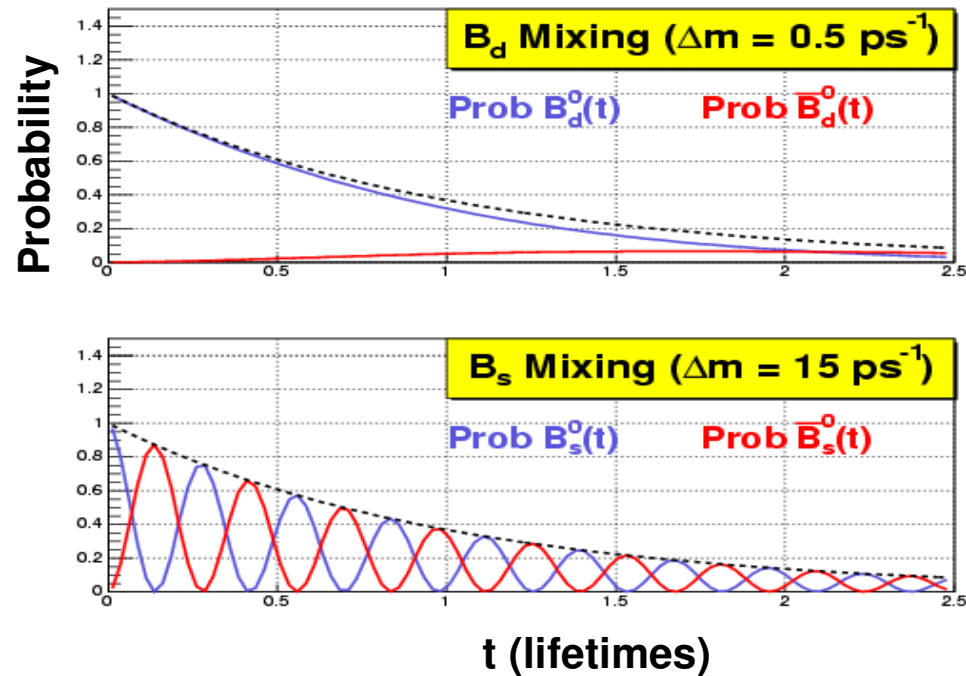


Future precision will improve with
 More data
 Three angle analysis
 Using a tagged sample....

Might be able to exclude models
 predicting large CP violating phase
 OR
 Observe CP violation different
 from SM predictions

BACKUP SLIDES (Mixing)

Sensitivity



Statistical Significance :

$$S(\Delta m, \sigma_t) = \sqrt{\frac{\epsilon D^2 S}{2}} \sqrt{\frac{S}{S+B}} \times e^{-(\Delta m \sigma_t)^2 / 2}$$

Flavor tagging

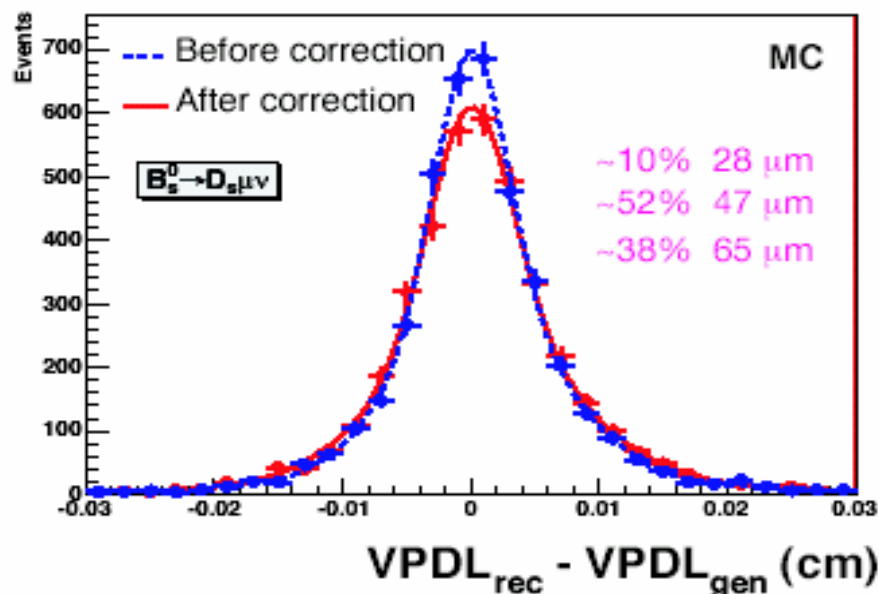
$D=2P-1$

P: correct tag prob.

Signal purity

For large Δm , proper time resolution (σ_t) becomes v. imp.

VPDL resolution



VPDL resolution from full detector simulation;

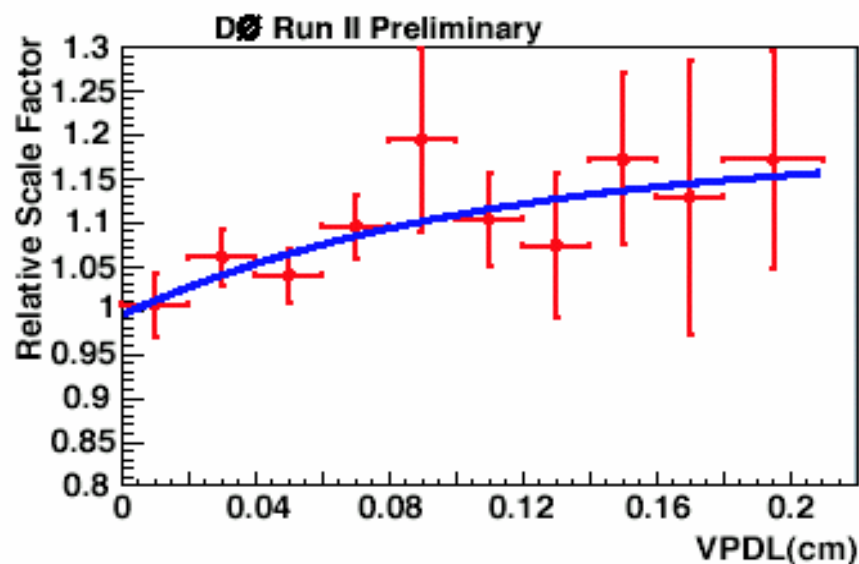
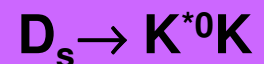
Describe VPDL resolution using 3 Gaussians

Adjusted by one global scale factor derived from data/simulation comparison.

$$1.142 \pm 0.020$$



$$1.168 \pm 0.024$$



VPDL resolution depends on the VPDL
(large VPDL correlated with large boost,
i.e. with more collimated decay products).

Use a VPDL dependent scale factor

Muon jet charge

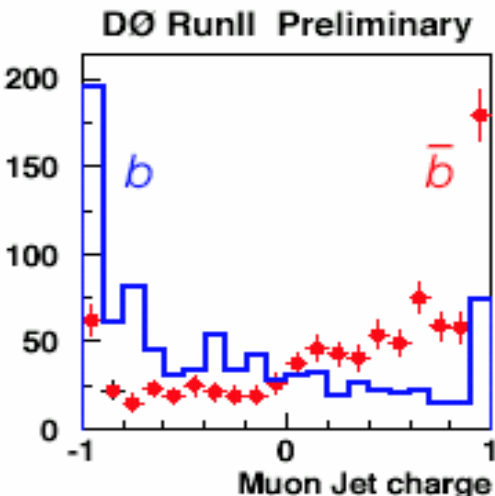
$$Q_J^\mu = \frac{\sum p_T q}{\sum p_T}$$

 μ^\pm
$$\Delta R < 0.5$$

cone

Reconstructed or signal side

If muon found with $\cos \phi(p_\mu, p_B) < 0.8 \dots$



Combined Tagger

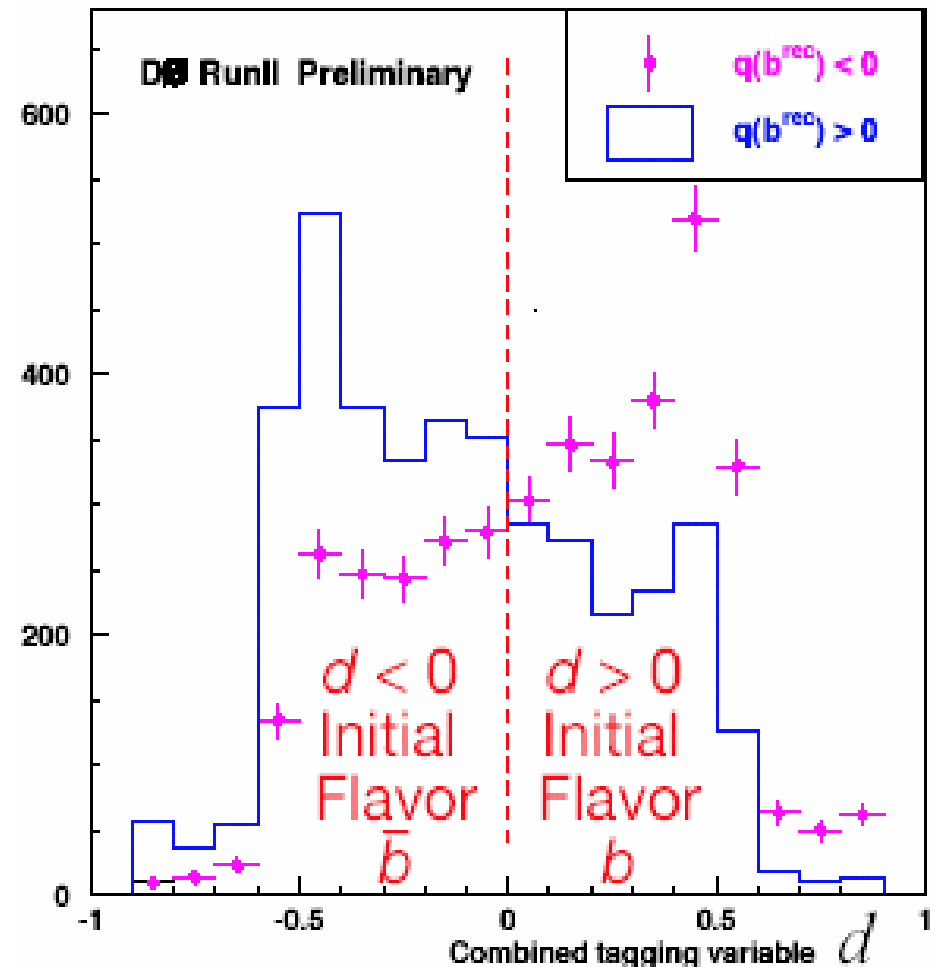
- For each discriminating variable x_i (described previously) construct P.D.F.s for the initial b [\bar{b}] quark

- Combine different taggers using likelihood ratios:

$$Y = \prod_i^n y_i ; y_i = \frac{f_i^{\bar{b}}(x_i)}{f_i^b(x_i)}$$

- Apply transformation to form single flavor-tag variable:

$$d = (1 - y) / (1 + y)$$



More pure ← → More pure

Tagger performance variables

$$\text{Efficiency } \epsilon = \frac{N_{\text{correct}} + N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}} + N_{\text{notag}}}$$

How often the tagging algorithm 'fires'

$$\text{Dilution } D = \frac{N_{\text{correct}} - N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}}}$$

How often the tagging algorithm gives the correct answer

$$D = 2\eta - 1$$

η : purity of a tagger

Maximize tagging power: ϵD^2

Dilution in data

- Make B_d oscillation measurement with same opposite-side tagger as for B_s
- Take $|d| > 0.3$:

$$A_i = \frac{N_{osc} - N_{nosc}}{N_{osc} + N_{nosc}} = D \cos \Delta m t$$

- Amplitude gives dilution
- Frequency gives Δm_d

$$\Delta m_d = 0.501 \pm 0.030 \pm 0.016 \text{ ps}^{-1}$$

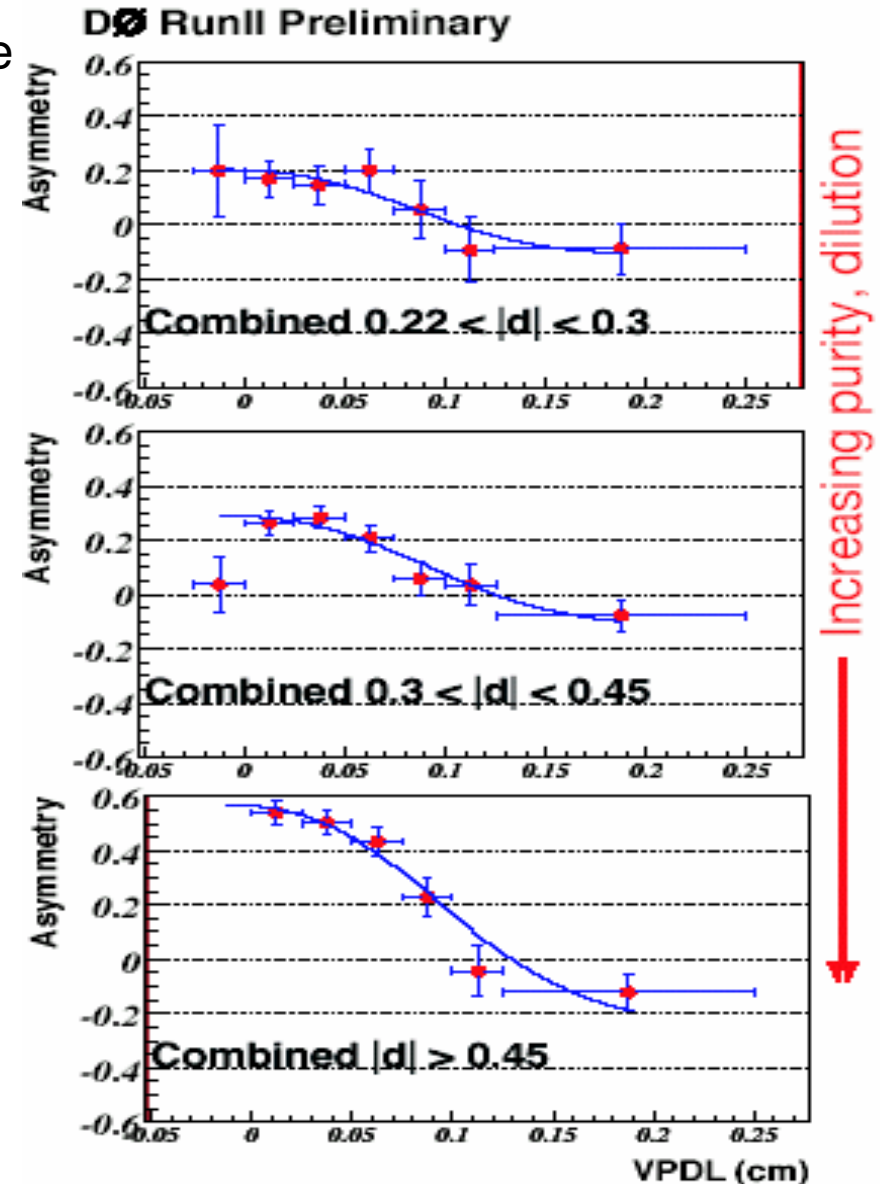
$$D(B_d) = 0.414 \pm 0.023 \pm 0.017$$

$$D(B^+) = 0.368 \pm 0.016 \pm 0.008$$

$$D_{\text{comb.}} = 0.384 \pm 0.014 \pm 0.006$$

$$\epsilon D^2 = (1.94 \pm 0.14 \pm 0.09)\%$$

- Use $D_{\text{comb.}}$ as input to B_s analysis
(signal and opposite-side B species uncorrelated)



Sample Composition

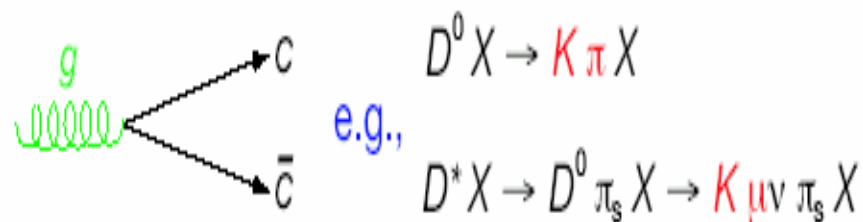
Composition of signal peak : estimate using MC simulation, PDG BRs...

$D_s \rightarrow K^{*0} K$

Decay	Sample fraction
$B_s \rightarrow D_s \mu \nu$	22.8%
$B_s \rightarrow D_s^* \mu \nu$	55.1%
$B_s \rightarrow D_{0s}^* \mu \nu$	1.2%
$B_s \rightarrow D_{1s}^* \mu \nu$	3.0%
$B_s \rightarrow D_s \tau \nu$	1.6%
$B_s \rightarrow D_s D_s X$	4.2%
$B_s \rightarrow D_s D X$	0.9%
$B^0 \rightarrow D_s D X$	5.6%
$B^- \rightarrow D_s D X$	5.7%

$c\bar{c}$ Contamination

Gluon splitting,
charm hadrons close to each other



Flavor tagging suppressed
contribution by factor ~ 3

Estimated fraction of $(3.5 \pm 2.5)\%$
from MC added in

Systematic errors

Done for each value of Δm_s

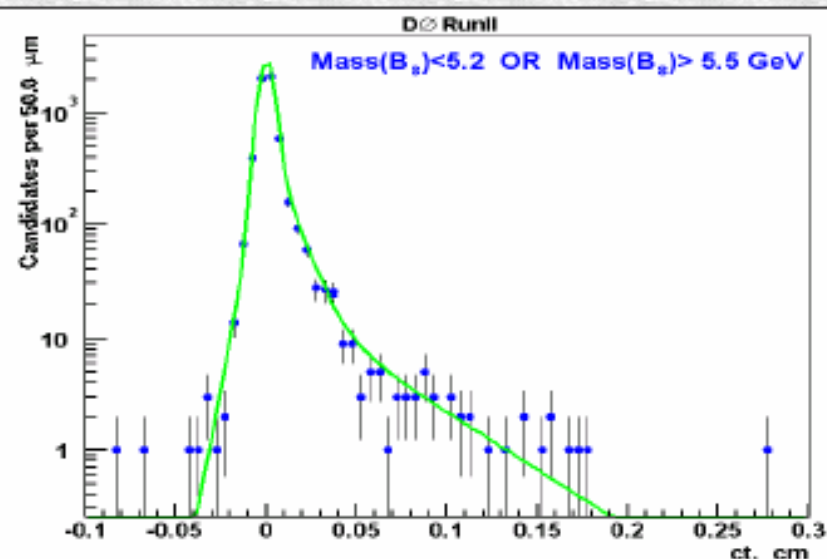
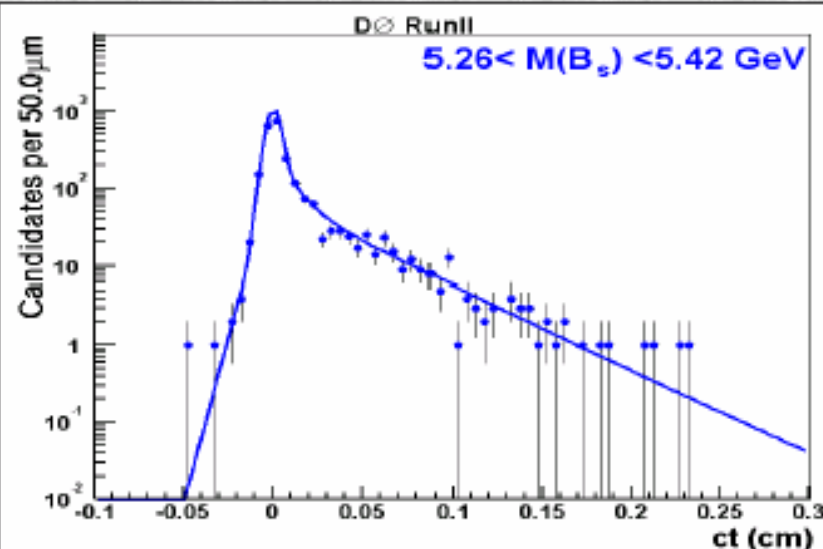
Example:

$D_s \rightarrow K^{*0} K$

Dominant systematic (7 ps⁻¹)	σ^{tot}
Mass fitting	0.13
Sample composition	0.10
K-factor uncertainty	0.09
VPDL res. scale factor uncertainty	0.07
Dilution uncertainty	0.04

BACKUP SLIDES

(Lifetime difference)



Parameterisations

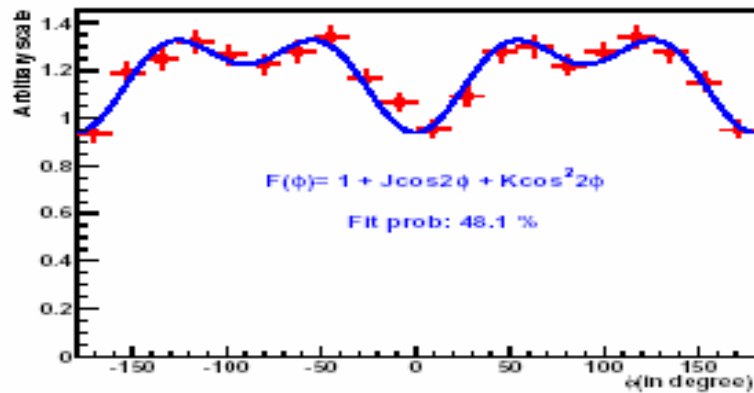
- Mass: double Gaussian with common mean (signal)
two 1st order polynomials (prompt & non prompt)
- Lifetime: 2 exponential x gaussians (CP odd and even)
1 gaussian (prompt) 3 exponentials (+ and - $c\tau$ non prompt)
- Transversity: $(1+\cos^2\theta)$ $G(\theta)$ CP even $(1-\cos^2\theta)$ $G(\theta)$ CP odd
2 polynomials ($G(\theta) = 1+A\cos^2\theta+B\cos^4\theta$) for prompt & non prompt

19 Free Parameters

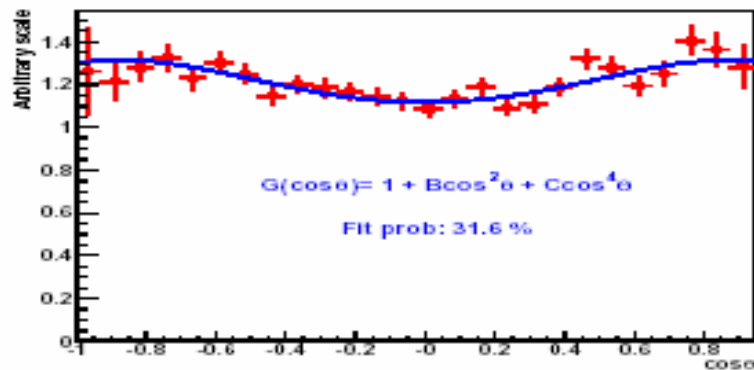
Untagged B_s rate in time/angles

$$\begin{aligned}
 \frac{d^3\Gamma \rightarrow J/\psi (\rightarrow l^+l^-) \phi (\rightarrow K^+K^-)}{d\cos\theta d\phi d\cos\psi dt} &\propto \frac{9}{16\pi} \left[2|A_0(0)|^2 e^{-\Gamma_1 t} \cos^2\psi (1 + \sin^2\theta \cos^2\phi) \right. \\
 &+ \sin^2\psi \left\{ |A_{\parallel}(0)|^2 e^{-\Gamma_1 t} (1 + \sin^2\theta \sin^2\phi) + |A_{\perp}(0)|^2 e^{-\Gamma_1 t} \sin^2\theta \right\} \\
 &+ \frac{1}{\sqrt{2}} \sin 2\psi \left\{ |A_0(0)||A_{\perp}(0)| \cos(\delta_2 + \delta_1) e^{-\Gamma_1 t} \sin^2\theta \sin 2\phi \right\} \\
 &+ \left\{ \frac{1}{\sqrt{2}} |A_0(0)||A_{\perp}(0)| \cos\delta_2 \sin 2\psi \sin 2\theta \cos\phi \right\} \frac{1}{2} (e^{-\Gamma_H t} + e^{-\Gamma_L t}) \delta\phi \\
 &- \left\{ \frac{1}{\sqrt{2}} |A_{\parallel}(0)||A_{\perp}(0)| \cos\delta_1 \sin^2\psi \sin 2\theta \sin\phi \right\} \frac{1}{2} (e^{-\Gamma_H t} + e^{-\Gamma_L t}) \delta\phi \left. \right] H(\cos\psi) F(\phi) G(\cos\theta)
 \end{aligned}$$

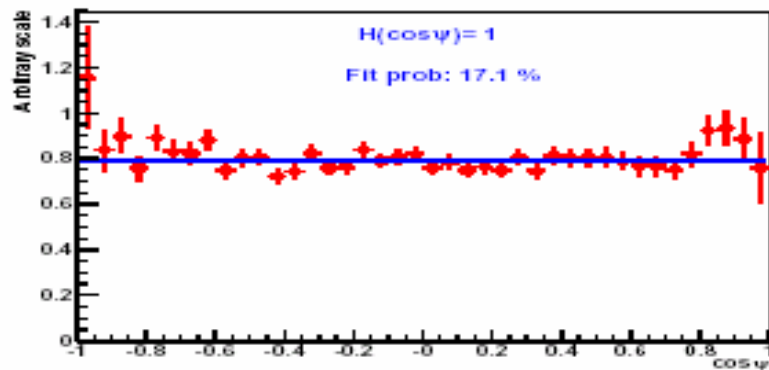
Detector Acceptance (MC)



$$F(\phi) = 1 + J \cos(2\phi) + K \cos^2(2\phi)$$



$$G(\cos \theta) = 1 + B \cos^2 \theta + C \cos^4 \theta$$



$$H(\cos \psi) \text{ flat distribution}$$

3 angles \rightarrow 1 angle

Inserting $H(\cos\psi)=1$, and $F(\phi)=1+J\cos(2\phi)+K\cos^2(2\phi)$, and integrating over $\cos\psi$ and ϕ , we obtain a 1-angle time evolution:

$$\frac{d^3\Gamma \rightarrow J/\psi (\rightarrow l^+l^-) \phi (\rightarrow K^+K^-)}{d\cos\theta dt} = N\pi \left[(|A_0(0)|^2 + |A_{\parallel}(0)|^2) e^{-\Gamma_L t} (1 + \cos^2\theta) \right. \\ \left. + \frac{K}{2} \left\{ (|A_0(0)|^2 + |A_{\parallel}(0)|^2) e^{-\Gamma_L t} (1 + \cos^2\theta) + 2|A_{\perp}(0)|^2 e^{-\Gamma_H t} \sin^2\theta \right\} \right. \\ \left. - \frac{J}{2} (|A_0(0)|^2 - |A_{\parallel}(0)|^2) e^{-\Gamma_L t} \sin^2\theta + 2|A_{\perp}(0)|^2 e^{-\Gamma_H t} \sin^2\theta \right] G(\cos\theta)$$

0.355 ± 0.066 (from CDF)

$$|A_0(0)|^2 + |A_{\parallel}(0)|^2 + |A_{\perp}(0)|^2 = 1$$

$$\text{defining, } R_{\perp} = |A_{\perp}(0)|^2$$

In pursuit of new physics

(1) We measure correlated parameters

$$\Delta\Gamma/\Gamma = (\Delta\Gamma/\Gamma)_{\text{SM}} \cos^2(\delta\phi) \text{ and } \tau$$

(2) Semileptonic measurements relate

$$(\Delta\Gamma/\Gamma)_{\text{SM}} \cos(\delta\phi) \text{ and } \tau.$$

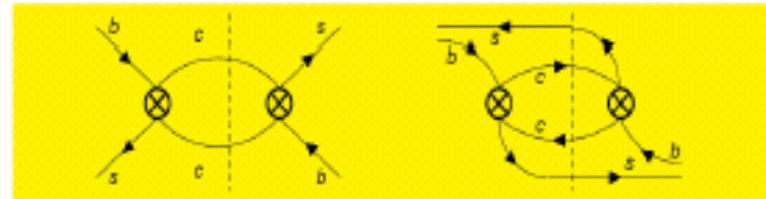
Fit to (1--3) for $\cos(\delta\phi)$:

$$|\cos(\delta\phi)| = 1.46^{+0.73}_{-0.69}$$

(3) SM predicts (A. Lenz, hep-ph/0412007)

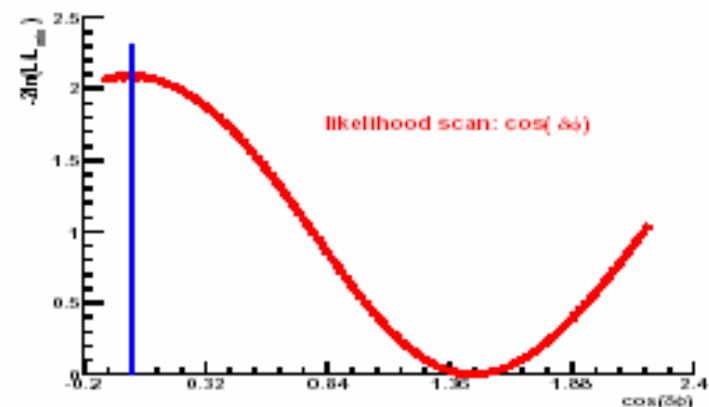
$$(\Delta\Gamma/\Gamma)_{\text{SM}} = 0.12 \pm 0.05$$

Γ_{12} stems from final states common to B_s and \bar{B}_s .



Crosses: Effective $|\Delta B| = 1$ operators from W -exchange.

Γ_{12} is a CKM-favored tree-level effect associated with final states containing a (\bar{c}, c) pair.



Angular momentum

Angular Momentum

→ $0^- \rightarrow 1^- 1^-$ $L \equiv$ relative orbital angular momentum

→ So $L=0,2$ are CP even and $L=1$ is CP odd

We integrate over 2 angles

(transversity is good angle for CP odd/even separation)

Non-uniform acceptance in ϕ integration leads to small correction term

Very Small

Use CDF result = 0.355 ± 0.066

$$\frac{d^2 \Gamma}{d \cos \theta dt} \propto \left[N_1 \left(|A_0(0)|^2 - |A_{\parallel}(0)|^2 \right) e^{-\Gamma_L t} \left(1 + \cos^2 \theta \right) + 2 N_2 |A_{\perp}(0)|^2 e^{-\Gamma_H t} \sin^2 \theta \right]$$

$R_{\perp} \equiv$ CP odd fraction at $t = 0$

CP Even

CP Odd

Systematic errors

Source	$c\tau(B_s^0), \mu\text{m}$	$\Delta\Gamma/\bar{\Gamma}$	R_{\perp}
Acceptance vs. $\cos\theta$	± 0.6	± 0.001	± 0.005
Integration over φ, ψ	± 0.2	± 0.001	± 0.02
Procedure test	± 2.0	± 0.025	± 0.01
Momentum scale	-3.0	—	—
Signal mass model	± 1.0	$+0.009, -0.017$	± 0.007
Background mass	-3.5	$+0.02$	-0.002
Detector alignment	± 2.0	—	—
Background model	± 0.5	± 0.016	± 0.005
Total	$-5.6, +3.1$	$-0.04, +0.03$	± 0.02

Selection cuts

p_T of $\mu^+ \mu^-$	$> 1.5 \text{ GeV} (> 4.0 \text{ GeV if } \eta < 1.0)$
χ^2 of J/ψ vertex	< 10.0
J/ψ candidate mass	$2.90 < M(\mu^+, \mu^-) < 3.25 \text{ GeV}$
J/ψ decay length error	$< 0.03 \text{ cm}$
p_T of $K^+ K^-$	$> 0.7 \text{ GeV}$
χ^2 of ϕ vertex	< 15.0
ϕ candidate mass	$1.01 < M(K^+, K^-) < 1.03 \text{ GeV}$
p_T of ϕ	$> 1.5 \text{ GeV}$
SMT hits on track	> 0
CFT hits on track	> 0
SMT+CFT hits on track	> 3
p_T of B_s	$> 6.0 \text{ GeV}$
B candidate decay length error	$< 0.006 \text{ cm}$
Absolute decay length difference between B_s candidate and J/ψ	$< 0.04 \text{ cm}$
B_s candidate mass	$5.0 < M(J/\psi, \phi) < 5.8 \text{ GeV}$